



# Comparison of Moiré Interferometry & Image Correlation Deformation Measurement Techniques

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*Trillion Quality Systems*

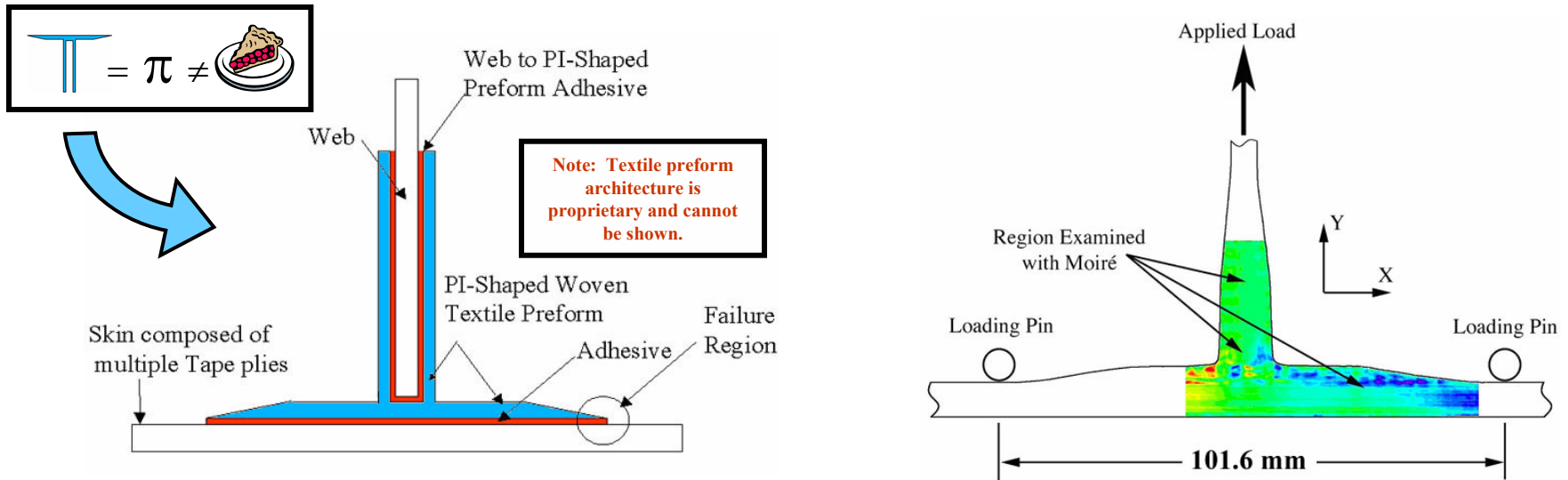
## Background

- Increasingly complex fiber architectures are becoming a reality in aerospace composite structures of interest to the U.S. Air Force and DoD.
- Full-field experimental deformation data on a sub-bundle level of spatial resolution is ...
  - necessary for understanding behavior of these material systems.
  - required for validation of bundle-level material modeling.

## Objective

- Compare results from the relatively new image correlation method with the well established moiré interferometry technique.

# Specimen Configuration, Fiber Architecture, and Mechanical Loading

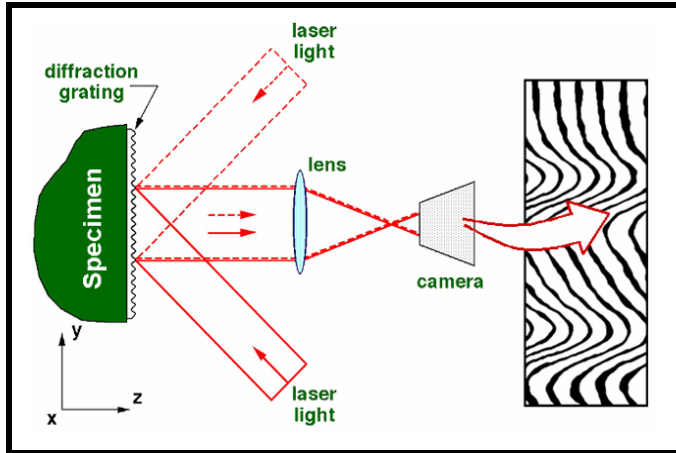


## Comparison Procedure

- **Moiré interferometry test conducted on extremely complex fiber architecture structural joint.**
  - testing results in very high spatial resolution displacement data set.
- **Digital image correlation (Trilion Quality System's "Aramis") test also conducted on the same specimen in the same loading fixture.**
  - analysis results in less dense displacement data point distribution.
- **Moiré data resampled to match the Aramis data point distribution for a "fair" comparison.**

# Experimental Displacement Measurement Techniques

## Moiré Interferometry



### Displacements

$$U(x,y) = \frac{1}{f} N_x(x,y)$$

$$V(x,y) = \frac{1}{f} N_y(x,y)$$

### In-Plane Strains

$$\epsilon_x = \frac{\partial U}{\partial x} = \frac{1}{f} \left[ \frac{\partial N_x}{\partial x} \right]$$

$$\epsilon_y = \frac{\partial V}{\partial y} = \frac{1}{f} \left[ \frac{\partial N_y}{\partial y} \right]$$

$$\gamma_{xy} = \frac{\partial V}{\partial x} + \frac{\partial U}{\partial y} = \frac{1}{f} \left[ \frac{\partial N_y}{\partial x} + \frac{\partial N_x}{\partial y} \right]$$

### Phase-Shifting Analysis

$$I_1(i,j) = A(i,j) + B(i,j) \cos(\Phi(i,j) + \Delta_1)$$

$$I_2(i,j) = A(i,j) + B(i,j) \cos(\Phi(i,j) + \Delta_2)$$

⋮

⋮

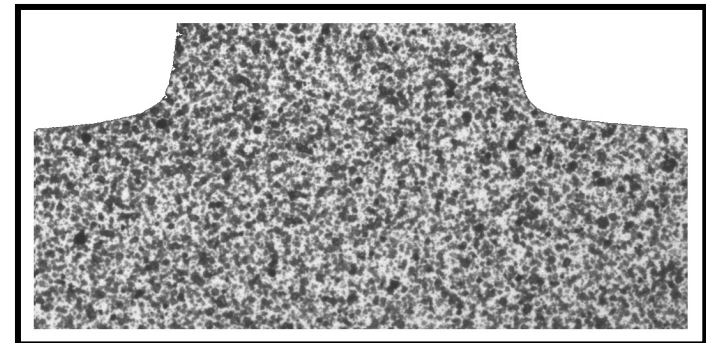
$$I_N(i,j) = A(i,j) + B(i,j) \cos(\Phi(i,j) + \Delta_N)$$

## Digital Image Correlation

(Aramis from Trilion Quality Systems)

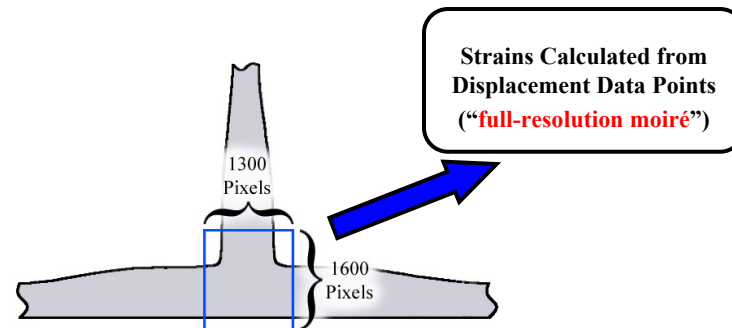


## Speckle Pattern Correlation (3-D Surface Deformation)



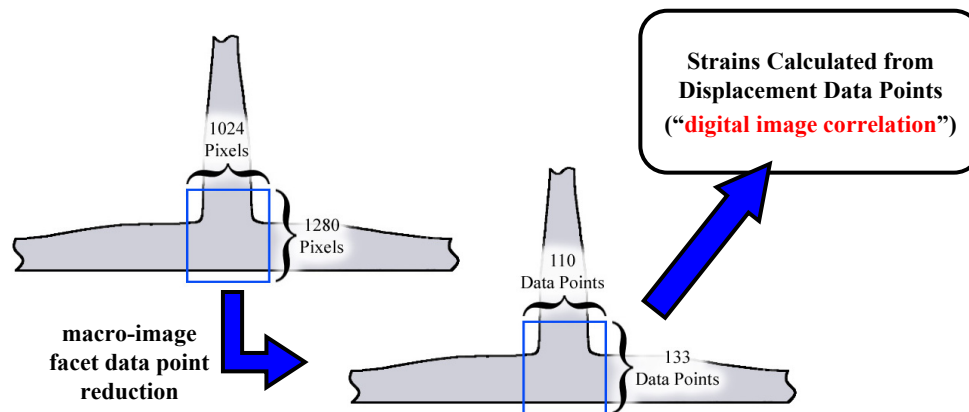
## Camera Field of View (Moiré)

- Moiré interferometry test conducted as usual (several days for testing - including specimen preparation).
- Magnification chosen with enough spatial resolution to reveal sub-fiber bundle resolution ( $\sim 13\mu\text{m}/\text{pixel}$ ).
- Phase-shifting analysis gives 1-to-1 displacement point per pixel.



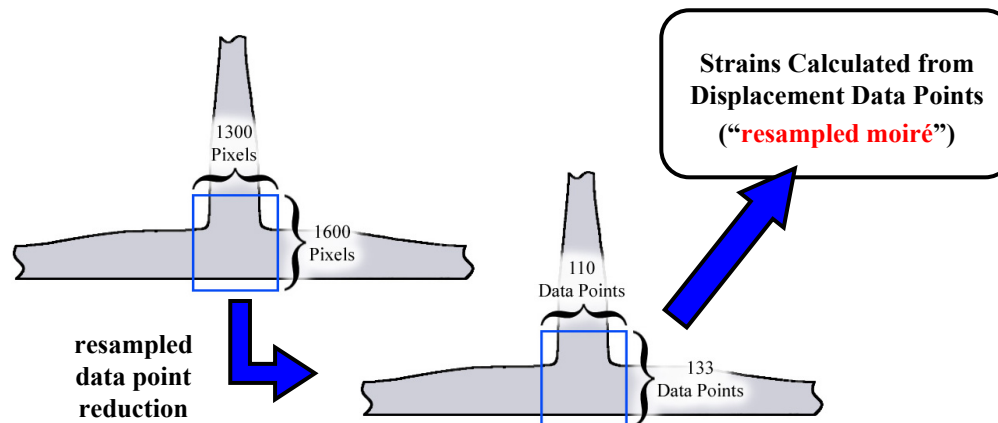
## Camera Field of View (Aramis)

- Aramis test conducted as usual (several hours - including specimen preparation).
- Magnification chosen to cover central region of specimen.
- Overlapping macro-image facets give  $\sim 9.5$  pixels per displacement point ( $\sim 150\mu\text{m}/\text{data point}$ ).



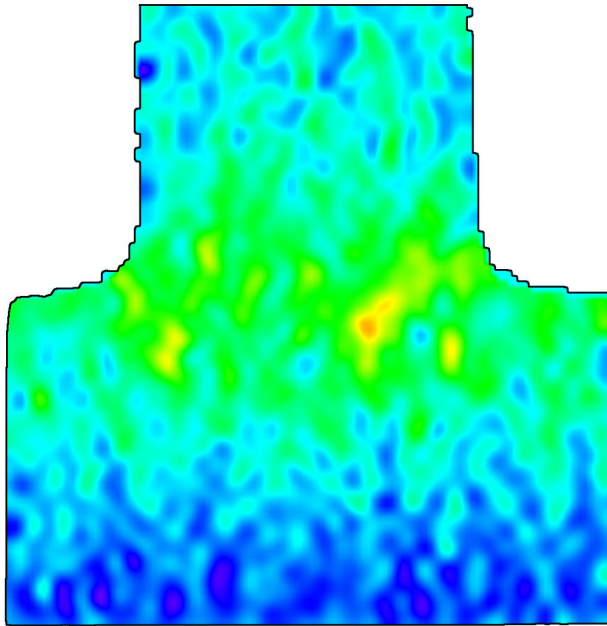
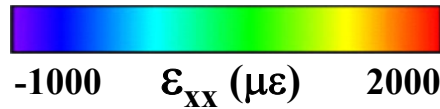
## Data Points (Resampled Moiré)

- Full-resolution moiré displacement data resampled to match the digital image correlation data.
- Resampled data gives  $\sim 9.5$  pixels per displacement point ( $\sim 150\mu\text{m}/\text{data point}$ ).

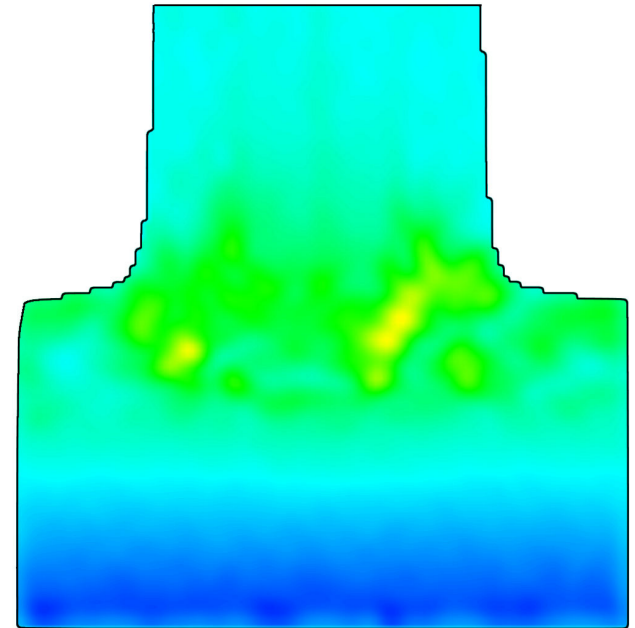


# Comparison of Strain Results

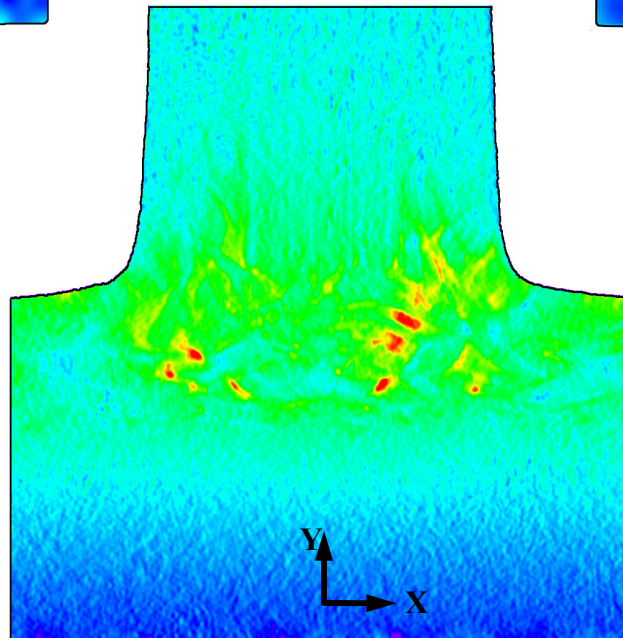
( $\epsilon_{xx}$  Strain Component)



Digital Image Correlation



Resampled Moiré Interferometry



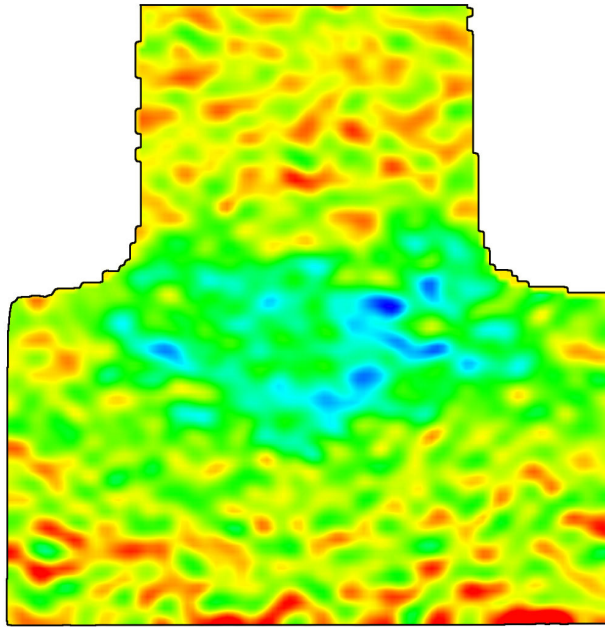
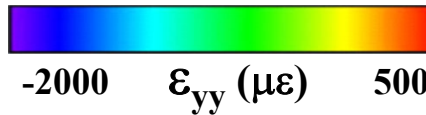
Moiré Interferometry

- All strain distributions resulting from *digital image correlation* compare closely in overall magnitude with *resampled moiré* and *full-resolution moiré*.

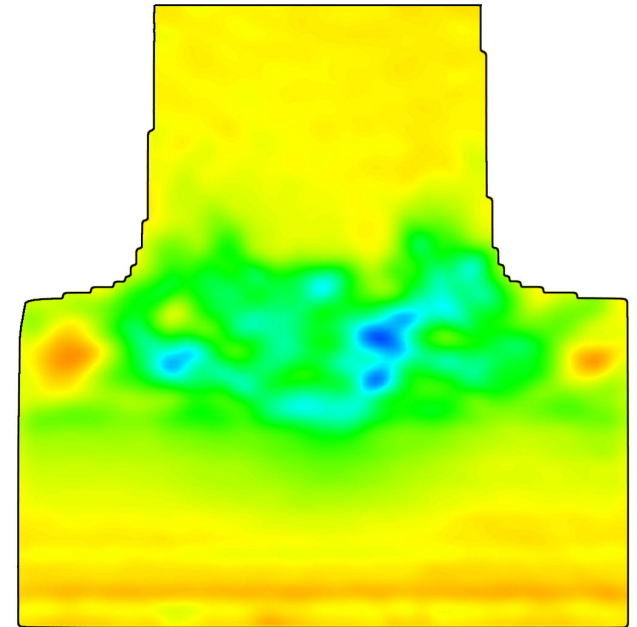
- *Digital image correlation* strain distributions contain larger scale “noise” than *moiré*.
- “Hot spots” in *digital image correlation* data generally match well in location with *resampled moiré* and, to a lesser extent, with *full-resolution moiré*.

# Comparison of Strain Results

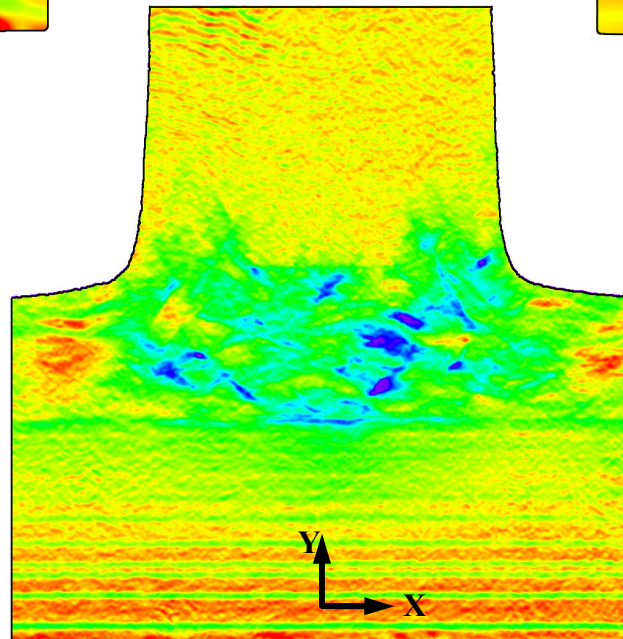
( $\epsilon_{yy}$  Strain Component)



Digital Image Correlation



Resampled Moiré Interferometry



Moiré Interferometry

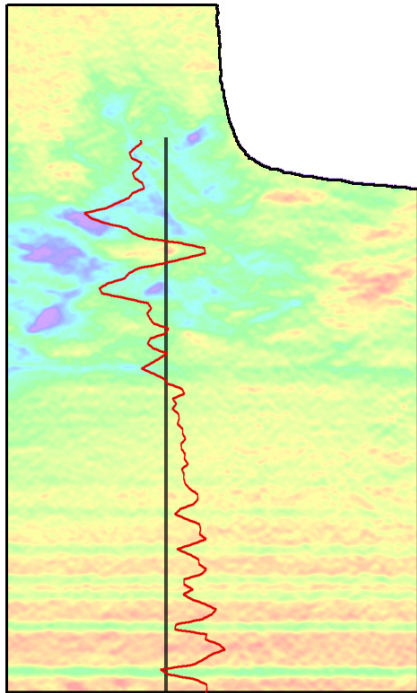
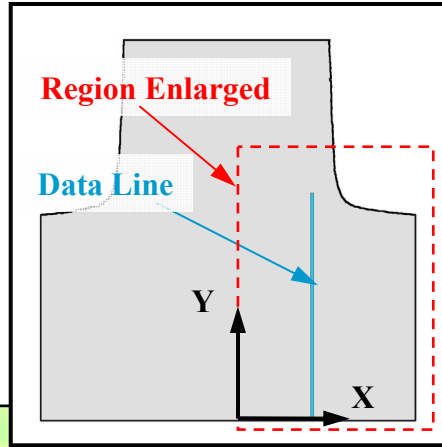
- All strain distributions resulting from *digital image correlation* compare closely in overall magnitude with *resampled moiré* and *full-resolution moiré*.

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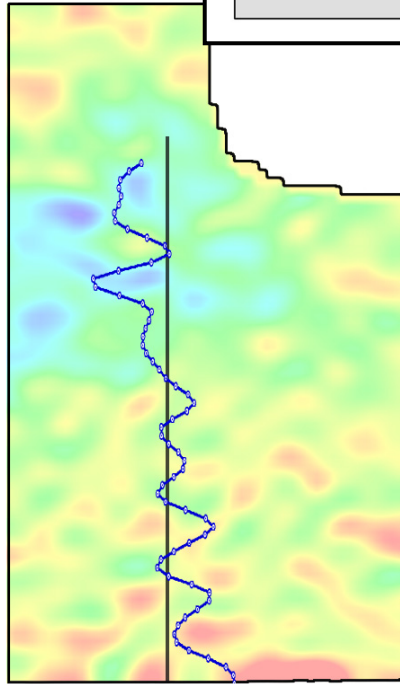
# Comparison of Aramis & Full-Resolution Moiré

- Comparisons of digital image correlation with full-resolution moiré data revealed some local differences in the measurements at a geometric scale on the order of a ply thickness.

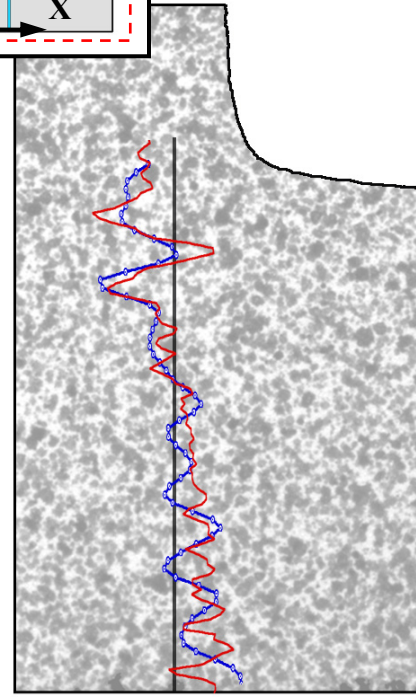
- Likely causes include...
  - too coarse speckle pattern
  - macro-image facet effects (size and overlap)



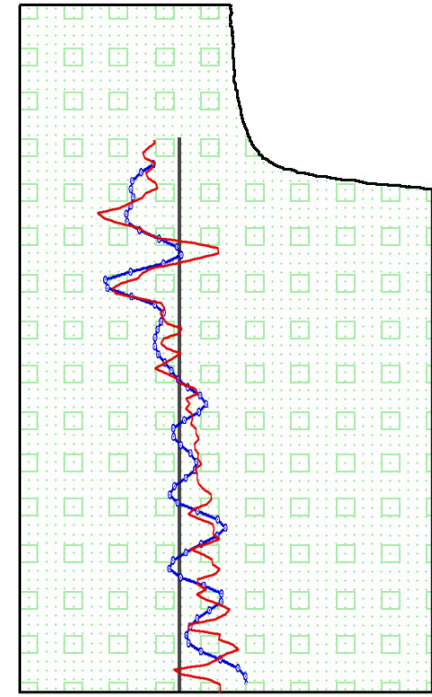
$\epsilon_{yy}$  - Moiré Results



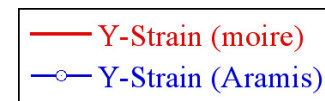
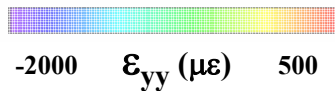
$\epsilon_{yy}$  - Aramis Results



$\epsilon_{yy}$  - Results with Speckle Pattern



Data Points & Representative Facets



## Discussion of Results

- From an overall qualitative perspective, digital image correlation produced results very similar to the resampled moiré interferometry data.
  - Local variations in strain due to the fiber architecture, shown in the moiré data, were found in the Aramis data.
  - The Aramis data contained additional variations that were not associated with the underlying fiber architecture.
- Comparisons of digital image correlation with full-resolution moiré data revealed some local differences in the measurements at a geometric scale on the order of a ply thickness.
  - Likely causes include...
    - too coarse speckle pattern
    - macro-image facet effects (size and overlap)

## Summary / Conclusions

- Comparison between digital image correlation and moiré interferometry was conducted using a composite T-joint with extremely complex fiber architecture.
- Overall, the digital image correlation results were comparable to the moiré results with a bit more noise and local variations missed.
- Moiré interferometry provides extremely fine spatial resolution deformation results...
  - Limited to flat (or singly curved) specimens
  - In-plane displacements only
  - Relatively skill/time intensive
- Digital image correlation provides full-field deformation results at a reduced spatial resolution..
  - Not limited by specimen shape
  - Provides 3 components of displacement
  - Relatively easy and quick to use